# The True $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ Times Option: Using Times Fonts with $\mathrm{True}_{\mathrm{E}} \mathrm{X}$ 

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#### Abstract

This document explains how to use Times fonts for text and mathematics in $\operatorname{True}_{\mathrm{E}} \mathrm{X}$. Instructions for installing and using the TrueTEX Times Option are included. Also included are a troubleshooting guide, extensive examples of mathematics in the Times style, font samples, and technical references.


## Contents

1 Using Times Text Fonts with True $\mathbf{T E}_{\mathbf{E}} \mathbf{X}$
2 Installing and Using the Times Option ..... 2
2.1 Installing TrueTEX Components ..... 2
2.2 Installing Windows 95 Components ..... 2
3 Using the Times Style Options ..... 2
3.1 Using the Times Text Style ..... 2
3.2 Using Times Math Style ..... 2
4 Troubleshooting2
5 Samples and Tests for Text and Mathematics ..... 3
5.1 Text Samples and Tests ..... 3
5.2 Math Samples and Tests ..... 4
5.3 Text and Belleek Math Font Tables ..... 14
6 Understanding Technical Details ..... 15
6.1 How TrueTEX Uses Standard Windows Fonts ..... 15
6.2 How TrueTEX Uses the Belleek Math Fonts ..... 16
6.3 How $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$ and the NFSS Access the Fonts ..... 16
6.4 How the $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ Styles Switch $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ to Use the Fonts ..... 17
6.5 Component Files of the TrueTEX Times Option Distribution ..... 18

## 1 Using Times Text Fonts with TrueTEX

The TrueTEX Times Option allows you to use the Times fonts provided in Windows for $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$ documents. A single style command switches the text and/or mathematics of a $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ document to use the Times fonts.

The True $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ Times Option uses the standard PSNFSS $\mathrm{EA}_{\mathrm{E}} \mathrm{X}$ package for style switching, as documented in the $\Delta T_{E} X$ Companion. Your $\mathrm{ET}_{\mathrm{E}} \mathrm{X}$ documents using the Times styles will be compatible with any $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ implementation that supports the standard packages, not just TrueTEX.

Although you install and use the TrueTEX Times Option for certain documents, you may also continue to use Computer 1 Modern fonts in other documents. The Option adds to the styles available in $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$, it does not replace them. However, if you want to use Times-style documents exclusively, you could uninstall the Computer Modern fonts from $\operatorname{True}_{\mathrm{E}} \mathrm{X}$. If you want to only use Computer Modern, you should not install the Times Option.

With the combination of $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ virtual fonts, $\mathrm{True}_{\mathrm{E}} \mathrm{X}$ Unicode rendering, and Microsoft pan-European fonts, using Times instead of Computer Modern fonts with $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ is now much more effective than ever before. The original 7-bit $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ encodings and the multilingual $\mathrm{T} 1 \mathrm{~T}_{\mathrm{E}} \mathrm{X}$ encodings will work, because almost all of the characters $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ expects in a text font are available in the new Microsoft pan-European fonts for multilanguage applications in Windows 95 and NT. The pan-European fonts contain all characters in Windows Glyph List 4 (WGL4), which covers 652 characters required in Western, Central, and Eastern European writing systems, and Greek and Turkish.

While the concept of such switching seems simple, the extra $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ software needed to implement it is enormous, mostly due to the elaborate scheme $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ uses to manage font encodings in the New Font Select Scheme (NFSS).

To set mathematics in a Times style (Computer Modern is not stylistically similar) requires many symbols not available in the Microsoft text fonts. The TrueTEX Times Option, to provide these symbols, installs three additional TrueType fonts:

Belleek Math Fonts versus Computer Modern

| Belleek Math Font | Computer Modern Analog |
| :--- | :--- |
| Belleek Math Symbols (blsy) | CM Math Symbols (cmsy10) |
| Belleek Math Extension (blex) | CM Math Extension (cmex10) |
| Belleek Math Italic (rblmi) | CM Math Italic (cmmi10) |

The Belleek math fonts are similar to the MathTime fonts ${ }^{1}$, which are supported in the $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$ mathtime style. Indeed, the metrics and encodings are exactly compatible, so that you can use the $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ mathtime style by simply installing the $\mathrm{True}_{\mathrm{E}} \mathrm{X}$ Times Option.

[^0]
## 2 Installing and Using the Times Option

The Times Option for True $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ requires Windows 95 or Windows NT, and release 4.0S or later of the $\mathrm{True}_{\mathrm{E}} \mathrm{X}$ previewer, Unicode edition (DVIGDI32.EXE).

### 2.1 Installing TrueT $\mathbf{E}_{\mathbf{E}} \mathrm{X}$ Components

The True $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ Times Option contains all the components to create LaTEX documents that use the Windows fonts Times New, Arial, and Courier New for text in place of the usual Computer Modern. Run the setup. exe program on the $\mathrm{True}_{\mathrm{E}} \mathrm{X}$ Times disk to automatically install the $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ virtual fonts, Belleek TrueType fonts, $\mathrm{LA}_{\mathrm{E}} \mathrm{X}$ font and encoding definitions, and the $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ styles times.sty and mathtime.sty. Tables at the end of this document set forth the files installed and their purposes.

The ${ }^{\text {ETTEX }}$ X styles are taken from the CTAN PSNFSS package. If you should want to install a later distribution of that package from CTAN, you need to make a simple change to the three font definition files my*mtt.fd: change the font-name references in the DeclareFontShape commands to call on the Belleek fonts, as follows:

| File Name | Declaration Line |
| :---: | :---: |
| mylmtt.fd | ```\DeclareFontShape{MY1} {mtt}{m}{it}{<->BLMI} {}``` |
| my $2 \mathrm{mtt} . \mathrm{fd}$ | ```\DeclareFontShape\{MY2 \} \{mtt\} \{m\} \{n\} \{<->BLSY\} \(\}\)``` |
| my3mtt.fd | ```\DeclareFontShape{MY3} {mtt}{m}{n}{<->BLEX} {}``` |

### 2.2 Installing Windows 95 Components

If you are using Windows 95 , you must also install the Windows 95 multilanguage support from the Windows 95 CD-ROM (if you have not already done so), which will then install the pan-European versions of Times New, Arial, and Courier New (the US and western Europe versions of Windows 95 by default supply the lesser-populated ANSI fonts). Windows NT always installs the pan-European versions. See "Installing Multilanguage Support" in the Windows 95 Help (found on the tool bar "Start" button) for details. Of the three components available in "Multilanguage Support Details", you should select Central European and Greek Language Support; Cyrillic is not now used in the Times Option. If you do not have these versions of the fonts installed, certain accented characters that $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$ expects to use will show up as blank or missing in the previewer.

## 3 Using the Times Style Options

### 3.1 Using the Times Text Style

To create a ${ }^{\mathrm{A}} \mathrm{T}_{\mathrm{E}} \mathrm{X}$ document that uses the Times style for text, insert the command:

$$
\text{\usepackage\{times\}}
$$undefinedundefinedundefinedundefinedundefinedundefinedundefined

before the $\backslash$ begin $\{$ document $\}$ command.

### 3.2 Using Times Math Style

To create a $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$ document that uses the Times style for math, insert the command:

```
\usepackage[noTS1] {mathtime}
```

before the \backslash\)begin$\{$document\}command.The"noTS1"optioninthe\usepackagecommandtells$\mathrm{IAT}_{\mathrm{E}}\mathrm{X}$thatyoudonotwanttouse"companionfonts",whichare"TS1"re-encodingsofthefontsthatprovidemiscellaneoussymbolsnotsupportedintheTrue$\mathrm{T}_{\mathrm{E}}\mathrm{X}$Timesoption.Note:theexactcapitalization,"noTS1"isrequiredwhenyouspecifytheoption.ThiscommandwillalsoswitchthedocumenttoTimestext,asifyouhadalsoincluded\usepackage$\{$times$\}$.undefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefined

The math components of the $\operatorname{TrueT}_{\mathrm{E}} \mathrm{X}$ Times Option use three additional Belleek TrueType fonts blsy, blex, and rblmi, which provide 333 extra math symbols for $\mathrm{LA}_{\mathrm{E}} \mathrm{X}$, symbols which are not in the usual Windows fonts.

Any version of Windows and any release of TrueTEX will work with these fonts, since they are encoded like the $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ 7-bit fonts and do not require Unicode rendering (except for dotlessi, as explained below).

## 4 Troubleshooting

- I installed the TrueTEX Times optional disk, but my documents still appear in Computer Modern: you need to insert me\}or\usepackage$\{$times$\}$intoyour$\mathrm{EAT}_{\mathrm{E}}\mathrm{X}$documentbefore\begin\{document\}.}undefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefined
- ${ }^{4} T_{E} X$ complains that it can't find times. sty or mathtime.sty: You haven't installed the TrueTEX Times macros, or you installed them in a directory not in the TrueTEX TEXINPUTS path.
- I get the message from $H T_{E} X$ : LaTeX Font Warning: Some font shapes were not available, defaults substituted, and the document previews and prints in Computer Modern: You haven't installed the True $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ Times font definitions, or you installed them in a directory not in the TrueTEX TEXINPUTS path.
- I get the message from $T_{E} X$ or $L A T_{E} X$ : Font ... not loadable: Metric (TFM) file not found:
- If font ptmr8c led to this message, you are using a recent version of _{\mathrm{E}}\mathrm{X}\)whichattemptstoloadmiscellaneoussymbolsfrom"companionfonts"(theTS1encoding);theTrueTEXTimesoptiondoesnotsupportthisrecent$\mathrm{IAT}_{\mathrm{E}}\mathrm{X}$enhancement.Specifythe"noTS1"option,asin\usepackage[noTS1]\{mathtime\},whichtells$\mathrm{EAT}_{\mathrm{E}}\mathrm{X}$tonotloadthesefonts.undefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefined
- You haven't installed the TrueTEX Times font metric files, or you installed them in a directory not in the TrueTEX TEXFONTS path.
- I get the message from $T_{E} X$ or ${ }^{L T} T_{E} X$ : This NFSS system isn't set up properly: Either LATEX or the $\mathrm{True}_{\mathrm{E}} \mathrm{X}$ Times Option is out of date with respect to the other. You need an updated version of $\mathrm{ET}_{\mathrm{E}} \mathrm{X}$ or the Times Option, or perhaps both.
- Accents, or ligatures like fi, are missing from previewer and/or printed output, or appear as rectangles:
- Under Windows 95, if you have not installed the multilanguage options (see Windows Help), the fonts on your system do not contain all the accented characters and ligatures which $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ expects to use, or
- You are using the Times Option under a non-Unicode version of Windows like Windows 3.1 or Windows for Workgroups 3.11; Windows 95 or Windows NT is required, or
- If previews are correct but printing is missing characters under Windows 95 , the printer driver may not support Unicode: try setting the driver to "print TrueType as graphics," or find a later version of the driver, or use a bit-mapped driver for the same printer or a compatible printer. For example, the LaserJet 4 Plus driver in Windows 95 is known to not presently support Unicode printing, although the LaserJet IIIsi driver does (you can use the IIIsi driver on a 4 Plus printer).
- Math fonts preview the wrong characters (or boxes in blue), and the printing is similarly incorrect: The Belleek math fonts are not rendering, because they are not installed (check for them with the Windows Font Installer applet).
- Math formulas using the Belleek fonts appear OK, but running text still appears in Computer Modern: The $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ font definitions, virtual fonts, and/or font metrics for the times style are not installed or are not in the TEXFONTS or TEXINPUTS paths.
- Documents using Times load and preview slowly compared to Computer Modern: This is normal, since the Times fonts
go through several layers of virtual font mapping to render each character, a design determined by the $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ package authors, not TrueTEX.
- The dotless $i$ in the font blmi is missing. The Belleek italic dotless i is actually taken from a Unicode character in Times New Roman Italic. You are either using a non-Unicode version of Windows or the TrueT $_{\mathrm{E}} X$ previewer, or you have not installed the multilanguage Windows fonts. If the problem manifests itself only when printing in Windows 95, then the printer driver probably has not been updated to support Unicode.
- When I try to print, a box from Windows appears saying, "Dvigdi32 ... An error has occurred in your program. To keep working anyway, click Ignore and save your work in a new file. To quit this program, click Close. You will lose information you entered since your last Save. [Close] [Ignore] " The error is actually arising in the Microsoft printer driver, not the previewer application DVIGDI32.EXE. The error message pops up each time the printed page calls for a Unicode character, such as a ligature. Choosing "Ignore" seems to work safely, but the page does not print correctly. Try to find another driver for your printer, or a later version of the driver that is causing the problem.

This message box takes the prize for annoyances from Microsoft, as it is not only mistaken, but also violates many stylistic guidelines which Microsoft asserts. The message wrongly accuses an innocent application. Programs are supposed to be called "applications" now, not "programs". Messages are supposed to say "select", not "click", because not everyone uses a clicking mouse as a pointing device. The previewer does not "save" work; that part of the message is meaningless and distracting. And you will not lose any information such as the message threatens, but you will get an incorrect printed result.

## 5 Samples and Tests for Text and Mathematics

### 5.1 Text Samples and Tests

Here are some samples of text using the Times style, e\{times\}:undefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefined

## The dotless i character

Text mode (\i): 1
Math mode (\$ $\backslash$ imath\$): $i$
Ligatures
$\mathrm{ff}=\mathrm{ff} \quad \mathrm{fi}=\mathrm{fi} \quad \mathrm{fl}=\mathrm{fl} \quad \mathrm{ffi}=\mathrm{ffi} \quad \mathrm{ffl}=\mathrm{ffl}$
Text accents

| \' 0 O | ò | $\backslash \prime\{0\}$ | ó | \^ \{ O \} | ô | \" $\{0\}$ | ö |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |
| ~ $\{0\}$ | o | $\backslash=\{0\}$ | $\bar{\square}$ | $\backslash .\{0\}$ | $\dot{\text { o }}$ | $\backslash u\{0\}$ | ŏ |
| \v $\{0\}$ | ǒ | $\backslash \mathrm{H}\{\mathrm{O}\}$ | ő | $\backslash \mathrm{t}$ \{ 00 \} | OO | \c $\{0\}$ | $\bigcirc$ |
| $\backslash d\{0\}$ | $\bigcirc$ | $\backslash \mathrm{b}$ \{ O \} | - |  |  |  |  |


| Non-English Characters |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| \oee œ | \OE | E | \ae | æ | $\backslash \mathrm{AE}$ |
| \aa a | $\backslash$ AA | Å | \o | $\varnothing$ | $\backslash \bigcirc$ |
| $\backslash 1$ l | \L | Ł | \ss | B | ?' |
| !' i |  |  |  |  |  |

## Special Punctuation

\dag $\dagger$ \ddag $\ddagger$ \copyright (C)
Note: $\backslash P$ (paragraph sign), $\backslash S$ (section sign), and $\backslash$ pounds (sterling sign) are not available in times. sty

| Lowercase Greek (math mode) |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\backslash \mathrm{alpha}$ | $\alpha$ | $\backslash$ theta | $\theta$ | \o | $o$ | \tau | $\tau$ |
| $\backslash$ beta | $\beta$ | $\backslash$ vartheta | $\vartheta$ | $\backslash \mathrm{pi}$ | $\pi$ | \upsilon | $v$ |
| \gamma | $\gamma$ | \iota | $l$ | \varpi | $\varpi$ | $\backslash \mathrm{phi}$ | $\phi$ |
| $\backslash d e l t a$ | $\delta$ | $\backslash$ kappa | $\kappa$ | \rho | $\rho$ | \varphi | $\varphi$ |
| \epsilon | $\epsilon$ | $\backslash$ lambda | $\lambda$ | \varrho | $\varrho$ | \chi | $\chi$ |
| \varepsilon | $\varepsilon$ | $\backslash m u$ | $\mu$ | \sigma | $\sigma$ | \psi | $\psi$ |
| $\backslash z e t a$ | $\zeta$ | $\backslash \mathrm{nu}$ | $\nu$ | \varsigma | $\varsigma$ | $\backslash$ omega | $\omega$ |
| \eta | $\eta$ | \xi | $\xi$ |  |  |  |  |
| Uppercase Greek (math mode) |  |  |  |  |  |  |  |
| $\backslash$ Gamma | $\Gamma$ | $\backslash$ Lambda | $\Lambda$ | $\backslash$ Sigma | $\Sigma$ | $\backslash$ Psi | $\Psi$ |
| $\backslash$ Delta | $\Delta$ | $\backslash \mathrm{Xi}$ | $\Xi$ | \Upsilon | $\Upsilon$ | $\backslash$ Omega | $\Omega$ |
| $\backslash$ Theta | $\Theta$ | $\backslash \mathrm{Pi}$ | $\Pi$ | $\backslash$ Phi | $\Phi$ |  |  |


| EATEX Standard Size-Changing Commands (After the $\angle T_{E} X$ Companion, Table 7.1) |  |
| :---: | :---: |
| \tiny | Size |
| \scriptsize | Size |
| $\backslash$ footnotesize | Size |
| \small | Size |
| $\backslash$ normalsize | Size |
| \large | Size |
| \Large | Size |
| $\backslash$ LARGE | Size |
| $\backslash$ huge | Size |
| $\backslash$ Huge | Size |


| LTTEX NFSS Font-Changing Commands <br> (After the$T_{E} X$ Companion, Table 7.2) |
| :--- | :--- |

### 5.2 Math Samples and Tests

Here are some samples of mathematics using Times-style math, ge\{mathtime\}:undefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefinedundefined

Predefined Math Alphabet Identifiers in NFSS
(After the $E T_{E} X$ Companion, Table 7.4)

| Command | Example |  |
| :---: | :---: | :---: |
| $\backslash$ mathcal | \$ $\backslash$ mathcal $\{\mathrm{A}\}=$ a\$ | $\mathcal{A}=a$ |
| $\backslash$ mathrm | \$ $\backslash$ mathrm\{max\}_i\$ | $\max _{i}$ |
| $\backslash$ mathbf | \$ \sum $\mathrm{x}=$ \mathbf $\{\mathrm{v}\}$ \$ | $\sum x=\mathbf{v}$ |
| $\backslash$ mathsf |  | $\mathrm{G}_{1}^{2}$ |
| $\backslash$ mathtt | \$ \mathtt $\{\mathrm{W}\}$ (a) \$ | W(a) |
| $\backslash$ mathnormal | \$ \mathnormal $\{\mathrm{abc}\}=\mathrm{abc}$ \$ | $a b c=a b c$ |
| $\backslash$ mathit | \$differ\neq\mathit ${ }^{\text {differ }}$ S | differ $\neq$ differ |

$$
\mathrm{G}=\mathcal{A}+\sum_{i=1}^{n} \mathcal{B}_{i} \quad\left(E T T_{E} X \text { Companion, eq. } 7.1\right)
$$

$$
\sum A_{i}=a \tan \beta
$$

The result will be $x=10$ and thus $y=12$.
The following samples are from chapters $16-19$ of $T h e T_{E} X b o o k$, suitably translated into $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$ commands where appropriate (for example, \eqalign's are translated into the eqnarray or array environments).

It is important to distinguish $\times(\backslash$ times $)$ from $X(\mathrm{X})$ and from $x(\mathrm{x})$; to distinguish $\cup(\backslash \operatorname{cup})$ from $U(\mathrm{U})$ and from $u$ $(\mathrm{u})$; to distinguish $\vee(\backslash \mathrm{vee})$ from $V(\mathrm{~V})$ and from $v(\mathrm{v})$; to distinguish $\circ(\backslash \operatorname{circ})$ from $O(\mathrm{O})$ and from $o(\mathrm{o})$. The

$$
\begin{aligned}
& \$ x^{\wedge} 2 \$ \quad x^{2} \\
& \$ 2^{\wedge} \mathrm{x} \text { \$ } \quad 2^{x} \\
& \$ \mathrm{x} \text { ~ } 2 \mathrm{y} \text { ~ } 2 \$ x^{2} y^{2} \\
& \text { \$_2F_3\$ } \quad 2 F_{3} \\
& \text { \$2^\{2^x\}\$ } 2^{2^{x}} \\
& \text { \$y_\{x_2\}\$ } y_{x_{2}} \\
& \$\left(\left(x^{\wedge} 2\right)^{\wedge} 3\right)^{\wedge} 4 \$ \quad\left(\left(x^{2}\right)^{3}\right)^{4} \\
& \text { \$ } \mathrm{x}^{\wedge} 2 \text { _3\$ } x_{3}^{2} \\
& \$ x^{\wedge}\{31415\} \_\{92\}+\backslash \text { pi\$ } \quad x_{92}^{31415}+\pi \\
& \text { \$y_1^\prime\$ } \quad y_{1}^{\prime} \\
& \text { \$y_3^\{\prime\prime\prime\} \$ } \quad y_{3}^{\prime \prime \prime} \\
& \$ \mathrm{y} \mathbf{1}^{\prime}+\mathrm{y} \_^{\prime \prime}{ }^{\prime \prime} \$ \quad y_{1}^{\prime}+y_{2}^{\prime \prime} \\
& \$ y^{\prime \prime \prime}{ }^{\prime} \quad 3+g^{\prime}{ }^{\wedge} 2 \$ \quad y_{3}^{\prime \prime \prime}+g^{\prime 2} \\
& \$ \backslash \operatorname{sqrt}\{x+2\} \$ \sqrt{x+2} \\
& \text { \$ \overline }\{x+y\} \$ \overline{x+y} \\
& \text { \$x^\{ \underline } n\} \$ \quad x^{n} \\
& \text { \$\sqrt\{x^3+\sqrt\alpha\}\$ } \sqrt{x^{3}+\sqrt{\alpha}} \\
& \text { \$ \root } \mathrm{n} \text { lof }\left\{\mathrm{x}^{\wedge} \mathrm{n}+\mathrm{y}^{\wedge} \mathrm{n}\right\} \$ \sqrt[n]{x^{n}+y^{n}} \\
& \$ \mathrm{x}+\mathrm{y}-\mathrm{z} \$ \quad x+y-z \\
& \text { \$ } \mathrm{X}^{\star} \mathrm{y} / \mathrm{z} \$ \quad x * y / z \\
& \text { \$x\circ } y \backslash b u l l e t \quad z \$ \quad x \circ y \bullet z \\
& \$ x \backslash \text { sqcup } y \backslash \text { sqcap } z \$ \quad x \sqcup y \sqcap z \\
& \$ \mathrm{x} \backslash \mathrm{pm} \mathrm{y} \backslash \mathrm{mp} \quad \mathrm{z} \$ \quad x \pm y \mp z \\
& \text { \$x_2\$ } x_{2} \\
& \$ x^{\wedge} 2 y^{\wedge} 2 \$ \quad x^{2} y^{2} \\
& \text { \$x_2y_2\$ } \quad x_{2} y_{2} \\
& \text { \$x^\{2y\}\$ } x^{2 y} \\
& \text { \$2^\{2^\{2^x\}\}\$ } 2^{2^{2^{x}}} \\
& \text { \$y_\{x^2\}\$ } \quad y_{x^{2}} \\
& \$\left\{\left(\left\{\left(x^{\wedge} 2\right)\right\}^{\wedge} 3\right)\right\}^{\wedge} 4 \$ \quad\left(\left(x^{2}\right)^{3}\right)^{4} \\
& \text { \$x_3^2\$ } x_{3}^{2} \\
& \$ \mathrm{x}-\left\{\mathrm{y}^{\wedge} \mathrm{a}-\mathrm{b}\right\}^{\wedge}\left\{\mathrm{z}_{-} \mathrm{c}^{\wedge} \mathrm{d}\right\} \$ x_{y_{b}^{a}}^{z_{c}^{d}} \\
& \text { \$y_2^\{\prime\prime\}\$ } \quad y_{2}^{\prime \prime} \\
& \$ \mathrm{f}^{\prime}[g(\mathrm{x})] \mathrm{g}^{\prime}(\mathrm{x}) \$ \quad f^{\prime}[g(x)] g^{\prime}(x) \\
& \$ y^{\prime} \quad 1+y^{\prime \prime} \quad 2 \$ \quad y_{1}^{\prime}+y_{2}^{\prime \prime} \\
& \text { \$ } \backslash \text { sqret } 2 \$ \quad \sqrt{2} \\
& \text { \$\underline4\$ } \underline{4} \\
& \text { \$ \overline } \mathrm{x}+\text { \overline } \mathrm{y} \$ \quad \bar{x}+\bar{y} \\
& \text { \$x^\{ \overline }\{\mathrm{m}+\mathrm{n}\}\} \text { \} } x^{\overline{m+n}} \\
& \$ \text { lroot } 3 \text { lof } 2 \$ \sqrt[3]{2} \\
& \text { \$ \root } \mathrm{n}+1 \text { lof a\$ } \sqrt[n+1]{a} \\
& \$ \mathrm{x}+\mathrm{y}^{\star} \mathrm{z} \$ \quad x+y * z \\
& \$ \mathrm{x} \backslash \text { times } \mathrm{y} \backslash \mathrm{cdot} \mathrm{z} \$ \quad x \times y \cdot z \\
& \$ x \backslash c u p ~ y \backslash c a p ~ z \$ \quad x \cup y \cap z \\
& \text { \$x\vee } y \backslash \text { wedge } z \$ \quad x \vee y \wedge z
\end{aligned}
$$

symbols ' $V$ ' and ' $\wedge$ ' can also be called $\backslash$ lor and $\backslash$ land, since they frequently stand for binary operations that are called "logical or" and "logical and."

$$
\begin{aligned}
& \$ \mathrm{x}=+1 \$ \quad x=+1 \\
& \text { \$3.142-\$ 3.142- } \\
& \text { \$ ( } \left.\mathrm{D}^{*}\right) \text { \$ }(D *) \\
& \text { \$K_n^+, K_n^-\$ } K_{n}^{+}, K_{n}^{-} \\
& \text {\$ } \mathrm{z}^{\wedge} \text { __\{ij\}\$ } z_{i j}^{*} \\
& \$ g^{\wedge} \backslash \mathrm{circ} \backslash \text { mapsto } \mathrm{g}^{\wedge} \backslash \mathrm{bullet} \$ \quad g^{\circ} \mapsto g^{\bullet} \\
& \$ \mathrm{f}^{\wedge} *(\mathrm{x}) \backslash \mathrm{cap} \mathrm{f}_{-}{ }^{*}(\mathrm{y}) \$ \quad f^{*}(x) \cap f_{*}(y) \\
& \$ \mathrm{x}=\mathrm{y}>\mathrm{z} \$ \quad x=y>z \\
& \$ \mathrm{x}:=\mathrm{y} \$ \quad x:=y \\
& \text { \$x\le } y \backslash \text { ne } z \$ \quad x \leq y \neq z \\
& \$ \mathrm{x} \backslash \operatorname{sim} \mathrm{y} \backslash \text { simeq } \mathrm{z} \$ \quad x \sim y \simeq z \\
& \text { \$x\equiv } y \backslash \text { not } \backslash \text { equiv } z \$ \quad x \equiv y \not \equiv z \\
& \$ \mathrm{x} \backslash \text { subset } \mathrm{y} \backslash \text { subseteq } \mathrm{z} \$ \quad x \subset y \subseteq z \\
& \text { \$f(x,y;z)\$ } \quad f(x, y ; z) \\
& \text { \$f:A\to B\$ } f: A \rightarrow B \\
& \text { \$f \colon } \mathrm{A} \backslash \text { to } \mathrm{B} \$ \quad f: A \rightarrow B \\
& \$ 12,345 x \$ 12,345 x \quad \text { (wrong) } \\
& \text { \$12\{,\}345x\$ 12,345x (right) } \\
& \text { \$ \hat a\$ \$ \check a\$ } \hat{a} \text { ă } \\
& \text { \$ \tilde a\$ \$\acute a\$ } \quad \text { áá } \\
& \text { \$\grave a\$ \$\dot a\$ à à } \\
& \text { \$ \ddot a\$ \$\breve a\$ } \ddot{a} \breve{a} \\
& \$ \backslash \text { bar a\$ \$\vec a\$ } \bar{a} \vec{a} \\
& \text { \$\widehat } \mathrm{x}, \backslash \text { widetilde } \mathrm{x} \$ \hat{x}, \tilde{x} \\
& \text { \$\widehat }\{x y\}, \backslash w i d e t i l d e\{x y\} \$ \widehat{x y}, \widetilde{x y} \\
& \text { \$\widehat }\{x y z\} \text {, \widetilde }\{x y z\} \$ \widehat{x y z}, \widetilde{x y z}
\end{aligned}
$$

$$
\begin{aligned}
& \$ e^{\wedge}\left\{-x^{\wedge} 2\right\} \$ \quad e^{-x^{2}} \\
& \text { \$D\sim } \mathrm{p}^{\wedge} \backslash \text { alpha } \mathrm{M}+1 \$ \quad D \sim p^{\alpha} M+l \\
& \text { \{\def\ghat }\{\{\text { hat } g\}\} \\
& \text { \$ } \left.\backslash \text { ghat } \backslash i n\left(H^{\wedge}\left\{\backslash p i \_1^{\wedge}\{-1\}\right\}\right)^{\prime} \$\right\} \quad \hat{g} \in\left(H^{\pi_{1}^{-1}}\right)^{\prime} \\
& \$ \$ \mathrm{x}+\mathrm{y}^{\wedge} 2 \text { over } \mathrm{k}+1 \text { \$ } \$ \quad \frac{x+y^{2}}{k+1}
\end{aligned}
$$

$$
\begin{aligned}
& \$ \$ \mathrm{x}+\left\{\mathrm{y}^{\wedge} 2 \text { \over } \mathrm{k}\right\}+1 \$ \$ \quad x+\frac{y^{2}}{k}+1 \\
& \$ \$ \mathrm{x}+\left\{\mathrm{y}^{\wedge} 2 \text { 年ver } \mathrm{k}+1\right\} \$ \$ \quad x+\frac{y^{2}}{k+1} \\
& \$ \$ \mathrm{x}+\mathrm{y}^{\wedge}\{2 \text { \over } \mathrm{k}+1\} \$ \$ \quad x+y^{\frac{2}{k+1}} \\
& \text { \$\$\{a\over } b\} \text { \over } 2 \$ \$ \quad \frac{a}{b} \\
& \$ \$ a \backslash o v e r\{b \backslash o v e r ~ 2\} \$ \$ \quad \frac{a}{\frac{b}{2}} \\
& \$ \$ \mathrm{a} / \mathrm{b} \text { lover } 2 \$ \$ \quad \frac{a / b}{2} \\
& \text { \$\$a \over b/2\$\$ } \frac{a}{b / 2} \\
& \text { \$\$x } \backslash \text { atop } \quad \mathrm{Y}+2 \text { \$\$ } \begin{array}{c}
x \\
y+2
\end{array} \\
& \text { \$\$n \choose k\$\$ } \quad\binom{n}{k} \\
& a_{0}+\frac{1}{a_{1}+\frac{1}{a_{2}+\frac{1}{a_{3}+\frac{1}{a_{4}}}}} \\
& \frac{\frac{a}{b}}{\frac{c}{d}} \\
& \sum_{\substack{0 \leq i \leq m \\
0<j<n}} P(i, j) \\
& \sum_{i=1}^{p} \sum_{j=1}^{q} \sum_{k=1}^{r} a_{i j} b_{j k} c_{k i} \\
& \sum_{\substack{1 \leq i \leq p \\
1 \leq j \leq q \\
1 \leq k \leq r}} a_{i j} b_{j k} c_{k i}
\end{aligned}
$$

$$
\begin{aligned}
& \sqrt{1+\sqrt{1+\sqrt{1+\sqrt{1+\sqrt{1+\sqrt{1+\sqrt{1+x}}}}}}} \\
& (((((((())))))))\{\{\{\{\{\{\{\{\{\{\}\}\}\}\}\}\}\}\}\}\} \\
& \$ \backslash \text { bigl }(\mathrm{x}-\mathrm{s}(\mathrm{x}) \backslash \mathrm{bigr}) \backslash \mathrm{bigl}(\mathrm{y}-\mathrm{s}(\mathrm{y}) \backslash \mathrm{bigr}) \$ \quad(x-s(x))(y-s(y)) \\
& \left(\frac{\partial^{2}}{\partial x^{2}}+\frac{\partial^{2}}{\partial y^{2}}\right)|\varphi(x+i y)|^{2}=0
\end{aligned}
$$

$$
\begin{aligned}
& \pi(n)=\sum_{m=2}^{n}\left\lfloor\left(\sum_{k=1}^{m-1}\lfloor(m / k) /\lceil m / k\rceil\rfloor\right)^{-1}\right\rfloor . \\
& |x|= \begin{cases}x, & \text { if } x \geq 0 \\
-x, & \text { if } x<0\end{cases} \\
& \ldots|\ldots \| . \ldots| \ldots|\ldots| \ldots(\ldots) \ldots\} \ldots
\end{aligned}
$$

$$
\begin{aligned}
& p_{1}(n)=\lim _{m \rightarrow \infty} \sum_{\nu=0}^{\infty}\left(1-\cos ^{2 m}\left(\nu!^{n} \pi / n\right)\right) . \\
& \text { \$ } \backslash \operatorname{sqrt}\{\{\backslash \text { rm Var }\}(X)\} \$ \quad \sqrt{\operatorname{Var}(X)} \\
& \text { \$x_\{ } \backslash \text { rm max }\}-x \_\{\backslash r m \min \} \$ \quad x_{\max }-x_{\text {min }} \\
& \text { \$ }\{\backslash r m \operatorname{LL}\}(k) \backslash R i g h t a r r o w\{\backslash r m \operatorname{LR}\}(k) \$ \operatorname{LL}(k) \Rightarrow \operatorname{LR}(k) \\
& \$ \backslash \exp (x+\{\backslash r m \text { constant }\}) \$ \exp (x+\text { constant }) \\
& \$ x^{\wedge} 3+\{\backslash r m \text { lower } \backslash \text { order } \backslash \text { terms }\} \$ x^{3}+\text { lower order terms } \\
& \text { \$ } \backslash \operatorname{sqrt}\{\backslash \operatorname{hbox}\{\operatorname{Var}\}(X)\} \$ \quad \sqrt{\operatorname{Var}(X)} \\
& \$ \backslash h b o x\{L L\}(k) \backslash R i g h t a r r o w \backslash h b o x\{L R\}(k) \$ \operatorname{LL}(k) \Rightarrow \operatorname{LR}(k) \\
& \$ \backslash \exp (x+\backslash h b o x\{\text { constant }\}) \$ \exp (x+\text { constant }) \\
& \$ x^{\wedge} 3+\backslash h b o x\{l o w e r \text { order terms }\} \$ x^{3}+\text { lower order terms } \\
& \lim _{n \rightarrow \infty} x_{n} \text { exists } \Longleftrightarrow \limsup _{n \rightarrow \infty} x_{n}=\liminf _{n \rightarrow \infty} x_{n} . \\
& \lim _{n \rightarrow \infty} x_{n} \text { exists } \Longleftrightarrow \varlimsup_{n \rightarrow \infty} x_{n}={\underset{n}{\lim }}^{\lim _{n}} . \\
& \$ \backslash \operatorname{gcd}(m, n)=\backslash \operatorname{gcd}(\mathrm{n}, \mathrm{~m} \backslash \operatorname{bmod} \mathrm{n}) \$ \quad \operatorname{gcd}(m, n)=\operatorname{gcd}(n, m \bmod n) \\
& \$ \mathrm{x} \backslash \text { equiv } \mathrm{y}+1 \backslash \operatorname{pmod}\left\{\mathrm{~m}^{\wedge} 2\right\} \$ \quad x \equiv y+1 \quad\left(\bmod m^{2}\right) \\
& \text { \$ \it last:=first\$ last }:=\text { first } \\
& \text { \$ \it } \mathrm{x} \backslash \text { _coord (point\_2) \$ } \quad x_{\text {_ }} \operatorname{coord}(\text { point_2) } \\
& \text { available }+\sum_{i=1}^{n} \max (f u l l(i), \text { reserved }(i))=\text { capacity } . \\
& \text { for } j:=2 \text { step } 1 \text { until } n \text { do } \\
& \text { begin accum }:=A[j] ; k:=j-1 ; A[0]:=\text { accum; } \\
& \text { while } A[k]>\text { accum do } \\
& \text { begin } A[k+1]:=A[k] ; k:=k-1 \text {; } \\
& \text { end; } \\
& A[k+1]:=\text { accum; } \\
& \text { end. }
\end{aligned}
$$

$$
\begin{gathered}
F_{n}=F_{n-1}+F_{n-2}, \quad n \geq 2 \\
F_{n}=F_{n-1}+F_{n-2}, n \geq 2
\end{gathered}
$$

The Fibonacci numbers satisfy $F_{n}=F_{n-1}+F_{n-2}$ for $n \geq 2$.
Let $H$ be a Hilbert space, $C$ a closed bounded convex subset of $H, T$ a nonexpansive self map of $C$. Suppose that as $n \rightarrow \infty, a_{n, k} \rightarrow 0$ for each $k$, and $\gamma_{n}=\sum_{k=0}^{\infty}\left(a_{n, k+1}-a_{n, k}\right)^{+} \rightarrow 0$. Then for each $x$ in $C, A_{n} x=\sum_{k=0}^{\infty} a_{n, k} T^{k} x$ converges weakly to a fixed point of $T$.

$$
\begin{aligned}
& \text { \$ \int_0^\infty } \mathrm{f}(\mathrm{x}) \text { \\
, } \mathrm{dx} \$ \quad \int_{0}^{\infty} f(x) d x \\
& \$ \mathrm{y} \backslash, \mathrm{dx}-\mathrm{x} \backslash, \mathrm{dy} \$ \quad y d x-x d y \\
& \$ \mathrm{dx} \backslash, \mathrm{dy}=\mathrm{r} \backslash, \mathrm{dr} \backslash, \mathrm{~d} \backslash \text { theta } \$ \quad d x d y=r d r d \theta \\
& \$ \mathrm{x} \backslash, \mathrm{dy} / \mathrm{dx} \$ \quad x d y / d x \\
& \text { \$\$\int_1^x\{dt\over t\}\$\$ } \int_{1}^{x} \frac{d t}{t} \\
& \$ 55 \backslash \mathrm{rm} \backslash \mathrm{mi} / \mathrm{hr} \$ \quad 55 \mathrm{mi} / \mathrm{hr} \\
& \$ \mathrm{~g}=9.8 \backslash \mathrm{rm} \backslash \mathrm{~m} / \mathrm{sec}^{\wedge} 2 \$ \quad g=9.8 \mathrm{~m} / \mathrm{sec}^{2} \\
& \$ \backslash \mathrm{rm} 1 \backslash, \mathrm{ml}=1.000028 \backslash, \mathrm{cc} \$ 1 \mathrm{ml}=1.000028 \mathrm{cc} \\
& \hbar=1.0545 \times 10^{-27} \mathrm{erg} \mathrm{sec} . \\
& \$(2 \mathrm{n})!/ \backslash \mathrm{bigl}(\mathrm{n}!\backslash,(\mathrm{n}+1)!\backslash \mathrm{bigr}) \$ \quad(2 n)!/(n!(n+1)!) \\
& \$ \$\{52!\text { lover } 13!\backslash, 13!\backslash, 26!\} \$ \$ \frac{52!}{13!13!26!} \\
& \$ \backslash \text { sqrt } 2 \backslash, x \$ \sqrt{2} x \\
& \$ \backslash \text { sqrt }\{\backslash, \backslash \log \mathrm{x}\} \$ \sqrt{\log x} \\
& \text { \$O\bigl (1/\sqrt } \mathrm{n} \backslash, \text {, bigr) } \$ \quad O(1 / \sqrt{n}) \\
& \$[\backslash, 0,1) \$ \quad[0,1) \\
& \$ \backslash \log n \backslash,(\backslash \log \backslash \log n)^{\wedge} 2 \$ \log n(\log \log n)^{2} \\
& \$ x^{\wedge} 2 \backslash!/ 2 \$ \quad x^{2} / 2 \\
& \$ \mathrm{n} / \backslash!\backslash \log \mathrm{n} \$ \quad n / \log n \\
& \$ \backslash G a m m a \_\{\backslash!2\}+\backslash \operatorname{Delta}\{\backslash!2\} \$ \quad \Gamma_{2}+\Delta^{2} \\
& \text { \$R_i }\left\}^{\wedge} j\{ \} \_\{\backslash!\mathrm{kl}\} \$ \quad R_{i}{ }^{j} k l\right. \\
& \text { \$\int_0^x\! \int_0^y } \mathrm{dF}(\mathrm{u}, \mathrm{v}) \$ \quad \int_{0}^{x} \int_{0}^{y} d F(u, v) \\
& \$ \$ \text { int } \backslash!\backslash!\backslash!\backslash i n t \_D ~ d x \backslash, d y \$ \$ \iint_{D} d x d y \\
& x+y=\max \{x, y\}+\min \{x, y\} \\
& \text { \$x_1+\cdots+x_n\$ } \quad x_{1}+\cdots+x_{n} \\
& \$ \mathrm{x} \_1=\backslash \text { cdots }=\mathrm{x} \_\mathrm{n}=0 \$ \quad x_{1}=\cdots=x_{n}=0 \\
& \text { \$A_1\times \cdots\times A_n\$ } A_{1} \times \cdots \times A_{n} \\
& \text { \$f(x_1, \ldots, } \left.\mathrm{x} \_\mathrm{n}\right) \$ \quad f\left(x_{1}, \ldots, x_{n}\right) \\
& \text { \$x_1x_2\ldots x_n\$ } x_{1} x_{2} \ldots x_{n} \\
& \$(1-x)\left(1-x^{\wedge} 2\right) \backslash \operatorname{ldots}\left(1-x^{\wedge} n\right) \$(1-x)\left(1-x^{2}\right) \ldots\left(1-x^{n}\right) \\
& \$ \mathrm{n}(\mathrm{n}-1) \backslash \operatorname{ldots}(1) \$ \quad n(n-1) \ldots(1)
\end{aligned}
$$

$$
\begin{gathered}
x_{1}+\cdots+x_{n} \quad \text { and } \quad\left(x_{1}, \ldots, x_{n}\right), \\
x_{1}+x_{1} x_{2}+\cdots+x_{1} x_{2} \ldots x_{n} \\
\left(x_{1}, \ldots, x_{n}\right) \cdot\left(y_{1}, \ldots, y_{n}\right)=x_{1} y_{1}+\cdots+x_{n} y_{n}
\end{gathered}
$$

Prove that $(1-x)^{-1}=1+x+x^{2}+\cdots$. Clearly $a_{i}<b_{i}$ for $i=1,2, \ldots, n$.

The coefficients $c_{0}, c_{1}, \ldots, c_{n}$ are positive.

$$
\begin{aligned}
& \underbrace{x+y+z}_{>0} . \\
& A=\left(\begin{array}{ccc}
x-\lambda & 1 & 0 \\
0 & x-\lambda & 1 \\
0 & 0 & x-\lambda
\end{array}\right) . \\
& {\left[\begin{array}{lll}
a & b & c \\
d & e & f
\end{array}\right]\left[\begin{array}{ll}
u & x \\
v & y \\
w & z
\end{array}\right]} \\
& A=\left(\begin{array}{cccc}
a_{11} & a_{12} & \ldots & a_{1 n} \\
a_{21} & a_{22} & \ldots & a_{2 n} \\
\vdots & \vdots & \ddots & \vdots \\
a_{m 1} & a_{m 2} & \ldots & a_{m n}
\end{array}\right) \\
& \left(\begin{array}{c}
y_{1} \\
\vdots \\
y_{k}
\end{array}\right) \\
& \left.M=\begin{array}{c} 
\\
C \\
C^{\prime}
\end{array} \begin{array}{ccc}
C & I & C^{\prime} \\
1 & 0 & 0 \\
b & 1-b & 0 \\
0 & a & 1-a
\end{array}\right) \\
& n^{\text {th }} \text { root } \\
& \mathbf{S}^{-1} \mathbf{T S}=\mathbf{d g}\left(\omega_{1}, \ldots, \omega_{n}\right)=\Lambda \\
& \operatorname{Pr}(m=n \mid m+n=3) \\
& \sin 18^{\circ}=\frac{1}{4}(\sqrt{5}-1) \\
& k=1.38 \times 10^{-16} \mathrm{erg} /{ }^{\circ} \mathrm{K} \\
& \bar{\Phi} \subset N L_{1}^{*} / N=\bar{L}_{1}^{*} \subseteq \cdots \subseteq N L_{n}^{*} / N=\bar{L}_{n}^{*} \\
& I(\lambda)=\iint_{D} g(x, y) e^{i \lambda h(x, y)} d x d y \\
& \int_{0}^{1} \ldots \int_{0}^{1} f\left(x_{1}, \ldots, x_{n}\right) d x_{1} \ldots d x_{n} \\
& x_{2 m} \equiv\left\{\begin{array}{ll}
Q\left(X_{m}^{2}-P_{2} W_{m}^{2}\right)-2 S^{2} & (m \text { odd }) \\
P_{2}^{2}\left(X_{m}^{2}-P_{2} W_{m}^{2}\right)-2 S^{2} & (m \text { even })
\end{array} \quad(\bmod N) .\right. \\
& \left(1+x_{1} z+x_{1}^{2} z^{2}+\cdots\right) \ldots\left(1+x_{n} z+x_{n}^{2} z^{2}+\cdots\right)=\frac{1}{\left(1-x_{1} z\right) \ldots\left(1-x_{n} z\right)} . \\
& \prod_{j \geq 0}\left(\sum_{k \geq 0} a_{j k} z^{k}\right)=\sum_{n \geq 0} z^{n}\left(\sum_{\substack{k_{0}, k_{1}, \ldots \geq 0 \\
k_{0}+k_{1}+\cdots=n}} a_{0 k_{0}} a_{1 k_{1}} \ldots\right) .
\end{aligned}
$$

$$
\begin{gathered}
\sum_{n=0}^{\infty} a_{n} z^{n} \quad \text { converges if } \quad|z|<\left(\limsup _{n \rightarrow \infty} \sqrt[n]{\left|a_{n}\right|}\right)^{-1} . \\
\frac{f(x+\Delta x)-f(x)}{\Delta x} \rightarrow f^{\prime}(x) \quad \text { as } \Delta x \rightarrow 0 \\
\left\|u_{i}\right\|=1, \quad u_{i} \cdot u_{j}=0 \quad \text { if } i \neq j
\end{gathered}
$$

The confluent image of $\left\{\begin{array}{l}\text { an arc } \\ \text { a circle } \\ \text { a fan }\end{array}\right\}$ is $\left\{\begin{array}{l}\text { an arc } \\ \text { an arc or a circle } \\ a \text { fan or an arc }\end{array}\right\}$.

$$
\begin{aligned}
& \frac{\left(n_{1}+n_{2}+\cdots+n_{m}\right)!}{n_{1}!n_{2}!\ldots n_{m}!}=\binom{n_{1}+n_{2}}{n_{2}}\binom{n_{1}+n_{2}+n_{3}}{n_{3}} \ldots\binom{n_{1}+n_{2}+\cdots+n_{m}}{n_{m}} . \\
& \Pi_{R}\left[\begin{array}{l}
a_{1}, a_{2}, \ldots, a_{M} \\
b_{1}, b_{2}, \ldots, b_{N}
\end{array}\right]=\prod_{n=0}^{R} \frac{\left(1-q^{a_{1}+n}\right)\left(1-q^{a_{2}+n}\right) \ldots\left(1-q^{a_{M}+n}\right)}{\left(1-q^{b_{1}+n}\right)\left(1-q^{b_{2}+n}\right) \ldots\left(1-q^{b_{N}+n}\right)} . \\
& \sum_{p \text { prime }} f(p)=\int_{t>1} f(t) d \pi(t) . \\
& \{\overbrace{\underbrace{a, \ldots, a}_{k+l \text { elements }},}^{k a \text { 's }} \overbrace{b, \ldots, b}^{l b}\} . \\
& \left(\begin{array}{cc}
\left(\begin{array}{ll}
a & b \\
c & d
\end{array}\right) & \left(\begin{array}{ll}
e & f \\
g & h
\end{array}\right) \\
0 & \left(\begin{array}{ll}
i & j \\
k & l
\end{array}\right)
\end{array}\right) . \\
& \operatorname{det}\left|\begin{array}{lllll}
c_{0} & c_{1} & c_{2} & \ldots & c_{n} \\
c_{1} & c_{2} & c_{3} & \ldots & c_{n+1} \\
c_{2} & c_{3} & c_{4} & \ldots & c_{n+2} \\
\vdots & \vdots & \vdots & & \vdots \\
c_{n} & c_{n+1} & c_{n+2} & \ldots & c_{2 n}
\end{array}\right|>0 . \\
& \sum_{x \in A}^{\prime} f(x) \stackrel{\text { def }}{=} \sum_{\substack{x \in A \\
x \neq 0}} f(x) . \\
& \left.2 \uparrow \uparrow k \stackrel{\text { def }}{=} 2^{2^{2}}\right\}^{2}{ }^{2} .
\end{aligned}
$$

$$
\begin{aligned}
& \prod_{k \geq 0} \frac{1}{\left(1-q^{k} z\right)}=\sum_{n \geq 0} z^{n} / \prod_{1 \leq k \leq n}\left(1-q^{k}\right) \\
& X_{1}+\cdots+X_{p}=m \\
& Y_{1}+\cdots+Y_{q}=n
\end{aligned}
$$

$$
\begin{aligned}
T(n) \leq T\left(2^{\lceil\lg n\rceil}\right) & \leq c\left(3^{\lceil\lg n\rceil}-2^{\lceil\lg n\rceil}\right) \\
& <3 c \cdot 3^{\lg n} \\
& =3 c n^{\lg 3}
\end{aligned}
$$

$$
\left\{\begin{array}{l}
\alpha=f(z) \\
\beta=f\left(z^{2}\right) \\
\gamma=f\left(z^{3}\right)
\end{array}\right\} \quad\left\{\begin{array}{l}
x=\alpha^{2}-\beta \\
y=2 \gamma
\end{array}\right\}
$$

$$
\sum_{1 \leq j \leq n} \frac{1}{\left(x_{j}-x_{1}\right) \ldots\left(x_{j}-x_{j-1}\right)\left(x-x_{j}\right)\left(x_{j}-x_{j+1}\right) \ldots\left(x_{j}-x_{n}\right)}
$$

$$
\begin{equation*}
=\frac{1}{\left(x-x_{1}\right) \ldots\left(x-x_{n}\right)} \tag{27}
\end{equation*}
$$

$$
\begin{aligned}
& \underline{q^{\frac{1}{2} n(n+1)}\left(e a ; q^{2}\right)_{\infty}\left(e q / a ; q^{2}\right)_{\infty}\left(c a q / e ; q^{2}\right)_{\infty}\left(c q^{2} / a e ; q^{2}\right)_{\infty}} \\
& (e ; q)_{\infty}(c q / e ; q)_{\infty} \\
& q^{\frac{1}{2} n(n+1)}\left(e a ; q^{2}\right)_{\infty}\left(e q / a ; q^{2}\right)_{\infty} \\
& \frac{\left(c a q / e ; q^{2}\right)_{\infty}\left(c q^{2} / a e ; q^{2}\right)_{\infty}}{(e ; q)_{\infty}(c q / e ; q)_{\infty}} \\
& A, \ldots, Z \quad a, \ldots, z \quad \Gamma, \ldots, \Omega \quad \Gamma, \ldots, \Omega \quad \alpha, \ldots, \omega \\
& \aleph_{\alpha} \times \aleph_{\beta}=\aleph_{\beta} \Longleftrightarrow \alpha \leq \beta \\
& \forall \varepsilon>\alpha, \Gamma_{\alpha} \hookrightarrow \Gamma_{\varepsilon} \\
& |x-a|<\delta \Rightarrow|f(x)-l|<\varepsilon \\
& \underbrace{V \times \cdots \times V}_{k} \times \underbrace{V \times \cdots \times V}_{l} \rightarrow \underbrace{V \times \cdots \times V}_{k+l} \\
& \{x \mid x \neq x\}=\emptyset \quad(A \cap B)^{\circ} \subset A^{\circ} \cap B^{\circ} \\
& \hat{x}+\widehat{X}+\widehat{x y}+\widehat{x y z}+\vec{A} \\
& R_{i j k l}=-R_{j i k l}=-R_{i j l k}=R_{k l i j}
\end{aligned}
$$

$$
\begin{gathered}
(f \circ g)^{\prime}(x)=f^{\prime}(g(x)) \cdot g^{\prime}(x) \\
f(x)= \begin{cases}|x| & x>a \\
-|x| & x \leq a\end{cases} \\
\int_{-\infty}^{\infty} e^{-x \cdot x} d x=\sqrt{\pi} \\
X=\sum_{i} \xi^{i} \frac{\partial}{\partial x^{i}}+\sum_{j} x^{j} \frac{\partial}{\partial \dot{x}^{j}}
\end{gathered}
$$

## 5．3 Text and Belleek Math Font Tables

The following tables show the complete character sets for the main text font（Times New Roman）and the three Belleek fonts：blmi， blsy，and blex．Each entry in the table should show a character，and should not appear blue in the previewer．Certain entries in the tables will appear as＂ме＂；this is normal．

Test of Times New Roman（OT1 Encoding）

| NE | ме | NE | NE | NE | NE | NE | NE | NE | NE | NE | ff | fi | fl | ffi | ffl |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | NE | ｀ | ， | $\checkmark$ | $\checkmark$ | － | － |  | $\beta$ | æ | œ | $\varnothing$ | Æ | （E | $\emptyset$ |
| NE | ！ | ＂ | \＃ | \＄ | \％ | \＆ | ， | （ | ） | ＊ | ＋ | ， | － |  | ／ |
| 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | ： | ； | i | ＝ | i | ？ |
| （a） | A | B | C | D | E | F | G | H | I | J | K | L | M | N | O |
| P | Q | R | S | T | U | V | W | X | Y | Z | ［ | ＂ | ］ |  |  |
| － | a | b | c | d | e | f | g | h | 1 | J | k | 1 | m | n | 0 |
| p | q | r | S | t | u | v | w | x | y | Z | － | － | ＂ | ～ |  |

Test of blmi（Belleek Math Italic，MY1 or OML Encoding）

| $\Gamma$ | $\Delta$ | $\Theta$ | $\Lambda$ | $\Xi$ | $\Pi$ | $\Sigma$ | $\Upsilon$ | $\Phi$ | $\Psi$ | $\Omega$ | $\alpha$ | $\beta$ | $\gamma$ | $\delta$ | $\epsilon$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\zeta$ | $\eta$ | $\theta$ | $l$ | $\kappa$ | $\lambda$ | $\mu$ | $\nu$ | $\xi$ | $\pi$ | $\rho$ | $\sigma$ | $\tau$ | $v$ | $\phi$ | $\chi$ |
| $\psi$ | $\omega$ | $\varepsilon$ | $\vartheta$ | $\varpi$ | $\varrho$ | $\varsigma$ | $\varphi$ | $\leftharpoonup$ | $\leftharpoondown$ | $\rightharpoonup$ | $\neg$ | $c$ | $\nu$ | $($ | $)$ |
| $\Gamma$ | $\Delta$ | $\Theta$ | $\Lambda$ | $\Xi$ | $\Pi$ | $\Sigma$ | $\Upsilon$ | $\Phi$ | $\Psi$ | . | , | $<$ | $/$ | $>$ | $\star$ |
| $\partial$ | $A$ | $B$ | $C$ | $D$ | $E$ | $F$ | $G$ | $H$ | $I$ | $J$ | $K$ | $L$ | $M$ | $N$ | $O$ |
| $P$ | $Q$ | $R$ | $S$ | $T$ | $U$ | $V$ | $W$ | $X$ | $Y$ | $Z$ | $b$ | $\llcorner$ | $\sharp$ | $\smile$ | $\frown$ |
| $\ell$ | $a$ | $b$ | $c$ | $d$ | $e$ | $f$ | $g$ | $h$ | $i$ | $j$ | $k$ | $l$ | $m$ | $n$ | $o$ |
| $p$ | $q$ | $r$ | $s$ | $t$ | $u$ | $v$ | $w$ | $x$ | $y$ | $z$ | $i$ | $J$ | $\wp$ | $\varkappa$ | $\Omega$ |

Test of blsy（Belleek Math Symbols，MY2 or OMS Encoding）

| － | ． | $\times$ | ＊ | $\div$ | $\diamond$ | $\pm$ | 干 | $\oplus$ | $\ominus$ | $\otimes$ | $\oslash$ | $\odot$ | $\bigcirc$ | $\bigcirc$ | $\bullet$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\asymp$ | $\equiv$ | $\subseteq$ | $\bigcirc$ | $\leq$ | $\geq$ | $\preceq$ | $\succeq$ | $\sim$ | $\approx$ | $\subset$ | $\supset$ | ＜ | ＞ | $\prec$ | $\succ$ |
| $\leftarrow$ | $\rightarrow$ | $\uparrow$ | $\downarrow$ | $\leftrightarrow$ | $\nearrow$ | $\downarrow$ | $\simeq$ | $\Leftarrow$ | $\Rightarrow$ | $\Uparrow$ | $\Downarrow$ | $\Leftrightarrow$ | $\nwarrow$ | $\swarrow$ | $\propto$ |
| 1 | $\infty$ | ¢ | $\ni$ | $\triangle$ | $\nabla$ | ／ | ＇ | $\forall$ | $\exists$ | $\neg$ | $\emptyset$ | $\Re$ | $\mathfrak{I}$ | T | $\perp$ |
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|  |  |  |  | ${ }^{\text {NE }}$ | NE | NE | NE | NE | Ne | NE | $\cup$ | $\cap$ | $\uplus$ | $\wedge$ | $\checkmark$ |
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## 6 Understanding Technical Details

### 6.1 How TrueTEX Uses Standard Windows Fonts

The IATEX NFSS (a "new font selection scheme", described in the $L T_{E} X$ Companion) rationalizes the font-selection mechanism in ${ }^{\mathrm{LA}} \mathrm{T}_{\mathrm{E}} \mathrm{X}$, which in previous versions had been limited and inflexible. An optional LATEX package, collectively and confusingly called "PSNFSS" (PostScript-NFSS, although PostScript is not necessarily involved), instructs $\mathrm{LT}_{\mathrm{E}} \mathrm{X}$ to use various "PostScript" fonts for text, instead of the default Computer Modern fonts. The times style from PSNFSS (times.sty) is one component of the package; that style switches $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$ to use the Times font for Roman text, the Helvetica font for sans serif text, and the Courier font for typewriter text; where these three type styles roughly correspond to the roman, italic, and typewriter styles presumed to be available in ${ }^{\mathrm{EAT}} \mathrm{E} \mathrm{X}$. The use of the label "PostScript" in the package is a bit of confusion, because the fonts can just as well be implemented in TrueType or other method, and PostScript does not necessarily have any role in the system, as is exhibited in True ${ }^{E} \mathrm{X}$.

The times style is written at a high enough level that the version published by the package authors on CTAN can be used without modification in $\operatorname{True}_{\mathrm{E}} \mathrm{X}$. The style file calls upon various LATEX font definition (*.fd) files, but even these files are used in the original form. The *. fd files in turn call upon various fonts, and it is here that True $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ departs from the PostScript implementation, using $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ virtual fonts to implement the various PostScript fonts called on by times, using the TrueType fonts as the actual fonts.

Ultimately, the PSNFSS mechanism resolves characters down to a few "actual fonts" which need not necessarily be PostScript fonts. In $\operatorname{True}_{\mathrm{E}} \mathrm{X}$, we can implement the same fonts using TrueType fonts in Windows. Indeed, the TrueType multilingual fonts on Windows 95 or NT contain a superset of the PostScript character sets, and contain many $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ characters that are missing from the PostScript fonts (although to preserve compatibility of ${ }^{\text {LAT }} \mathrm{T}$ X documents with PostScript-based implementations we have not exploited this extension). Windows provides TrueType equivalents for the times style fonts: Times New Roman (for Times), Arial (for Helvetica), and Courier.

The virtual PSNFSS fonts use common $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ Computer Modern encodings like OT1 or T1 for text. The Times-style math fonts use encodings MY1 for blmi, MY2 for blsy, and MY3 for blex. The text virtual fonts refer in turn to characters in an 8 -bit real font encoding known as " 8 r ", which uses undefined codes from the "Adobe Standard Encoding" to encode new characters, and also re-defines other slots for other new characters. The 8 r encoding was invented ${ }^{2}$ in the context of $\mathrm{LA}_{\mathrm{E}} \mathrm{X}$ for the purpose of re-encoding Type 1 fonts so as to make certain unencoded characters favored by $\mathrm{LT}_{\mathrm{E}} \mathrm{X}$ from the standard set in Type 1 fonts available for 8 -bit output. For example, in a PostScript-based implementation, the font ptmr8r is the real font Times-Roman in the 8 r encoding. In our TrueType and Unicode implementation, we make ptmr8r a virtual font which in turn refers to the Times New Roman (TrueType) real font, and which re-maps the PostScript character codes of the 8 r encoding to the appropriate Unicode characters in an extended virtual font (*. xvf) or 8-bit characters in a standard virtual fonts ( ${ }^{\star} . \mathrm{vf}$ ).

The following table lists how we have virtualized the PostScript fonts (presumed by the PSNFSS package) using TrueType fonts. The "core" fonts in this implementation use the standard Microsoft fonts Times New, Arial, and Courier. Certain shape variations which are "difficult" to select in $\mathrm{AT}_{\mathrm{E}} \mathrm{X}$, like the oblique shapes, require additional TrueType fonts not provided with Windows; we have made

[^1]certain choices from the widely available font bundle included in Corel Draw. The non-Microsoft fonts typically have smaller character sets (the ANSI characters only), so even if you have the fonts installed, not all characters may be populated in those shapes.

PostScript Real Fonts vs. TrueT $\mathbf{E}^{X}$ Virtual Fonts for PSNFSS

| "8r"-encoded PSNFSS real font | TrueTEX Windows Face Name ${ }^{1}$ | PostScript Font Name | dvips modifier |
| :---: | :---: | :---: | :---: |
| pcrb8r <br> pcrbo8r <br> pcrr8r <br> pcrro8r | courbd <br> courbi <br> cour <br> couri | Courier-Bold <br> Courier-BoldOblique <br> Courier <br> Courier-Oblique |  |
| phvb8r <br> phvb8rn <br> phvbo8r <br> phvbo8rn <br> phvbon8r <br> phvbrn8r <br> phvl8r <br> phvlo8r <br> phvr8r <br> phvr8rn <br> phvro8r <br> phvro8rn <br> phvron8r <br> phvrrn8r | arialbd <br> Switzerland Narrow Bold arialbi <br> Switzerland Narrow BdIt Swiss Bold Cond Italic Swiss Bold Condensed Swiss Light ${ }^{2}$ <br> Swiss Light Italic arial Switzerland Narrow Rom ariali Switzerland Narrow Ital Swiss Cond Italic Swiss Condensed | Helvetica-Bold <br> Helvetica-Narrow-Bold <br> Helvetica-BoldOblique <br> Helvetica-Narrow-BoldOblique <br> Helvetica-BoldOblique <br> Helvetica-Bold <br> Helvetica-Light <br> Helvetica-LightOblique <br> Helvetica <br> Helvetica-Narrow <br> Helvetica-Oblique <br> Helvetica-Narrow-Oblique <br> Helvetica-Oblique <br> Helvetica | . 82 ExtendFont . 82 ExtendFont <br> . 82 ExtendFont . 82 ExtendFont |
| psyro | Symbol | Symbol | .167 SlantFont |
| ptmb8r <br> ptmbi8r <br> ptmbo8r <br> ptmr8r <br> ptmri8r <br> ptmro8r <br> ptmrre8r <br> ptmrrn8r | timesbd <br> timesbi <br> timesbi $^{3}$ <br> times <br> timesi <br> timesi ${ }^{3}$ <br> times ${ }^{3}$ <br> times ${ }^{3}$ | Times-Bold <br> Times-BoldItalic <br> Times-Bold <br> Times-Roman <br> Times-Italic <br> Times-Roman <br> Times-Roman <br> Times-Roman | . 167 SlantFont <br> .167 SlantFont <br> 1.2 ExtendFont <br> . 82 ExtendFont |

${ }^{1}$ Windows face names are in uppercase; lowercase are $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ equivalent names
2 "Swiss" is BitStream's Swiss 721
${ }^{3}$ Closest unstretched font

### 6.2 How TrueT ${ }_{\mathbf{E}}$ X Uses the Belleek Math Fonts

The blsy and blex fonts do not use virtual font mapping, since the actual TrueType fonts implement the " $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ ad hoc" encoding of 7-bit TrueTEX fonts in Windows. The blmi font is a virtual font (implemented in files blmi.vf and blmi.xvf) which maps the blmi characters to the two actual TrueType fonts rblmi and timesi (Times New Roman Italic). In this virtual blmi, the alphabet characters $\mathrm{A}-\mathrm{Z}$ and $\mathrm{a}-\mathrm{z}$, and the character dotlessi, map to Times New Roman Italic; all other characters map to rblmi.

### 6.3 How IATEX and the NFSS Access the Fonts

Font selection in $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$ has grown into a gloriously complicated matter, which we can't begin to describe here; instead you should refer to the material in the $\Delta T_{E} X$ Companion chapter 7, "Font Selection." There you will be told that the current (new) scheme allows "integrating new font families easily into an existing LATEX
system." One has to question how "easy" it is, since switching text requires several hundred lines of . $d t x$ code (documented $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ macros), while switching math requires about 1200 lines! All that can be said is that it is perhaps not as difficult as it could have been in the old scheme.

Be assured, though, that you don't need to know much about ${ }^{\mathrm{LAT}} \mathrm{E}_{\mathrm{E}} \mathrm{X}$ font selection to have it work correctly for you; the styles at least make it easy for you to get what you want. What follow is an explanation of some details of what's happening in the times and mathtime styles.

At the lowest level, $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ understands fonts merely by their metrics, as in . tfm files. The new scheme also provides a way to specify font encoding in . def files, and to specify scaling and shape possibilites in .fd files. The True $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ Times Option installs a set of font metrics . tfm's for the Windows text fonts and Belleek math fonts. These fonts are similar to the ones presumed in the times and mathtime styles, and work compatibly with the . def and .fd tables in the associated PSNFSS package.

So the switch from PostScript fonts to a TrueType
implementation is hardly visible to $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ at all. Indeed, the only difference is that some of the metrics have changed very slightly. All the same fonts with the same names are apparently available, and those fonts are the ones called for in the DVI output from ${ }^{\mathrm{EAT}} \mathrm{E}_{\mathrm{E}} \mathrm{X}$. The isolation from the substitution is finally undone when the DVI translator resolves $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ virtual fonts into actual fonts: all of the PostScript font names which $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ used will, during DVI translation of virtual fonts, map to various TrueType fonts. This mapping embodies not merely a substitution of font names, but also an elaborate translation of character codes that matches the PostScript character codes with Unicode equivalents, and even composition of missing characters from other available characters, such as ligatures being composed from concatenated single letters.

### 6.4 How the $\mathrm{LAT}_{\mathbf{E}} \mathrm{X}$ Styles Switch $\mathrm{LT}_{\mathrm{E}} \mathrm{X}$ to Use the Fonts

The times style is thoroughly simple. It merely switches the default Roman, sans serif, and typewriter fonts to the Times, Helvetica, and Courier fonts. Details of shape and size selection are handled at run time by the NFSS.

Math font switching in the mathtime style is far more complex. The style must establish the relevant encodings of the math fonts, and declare the availability of math symbols, operators, and alphabets. Many cases of code locations in fonts for lists of math symbols and accents must be enumerated explicitly.

### 6.5 Component Files of the True $\mathbf{T}_{\mathbf{E}} \mathbf{X}$ Times Option Distribution

| Files Specific to the TrueTEX Times Option |  |
| :---: | :---: |
| Files | Purpose |
| $\begin{aligned} & \mathrm{p}\{\mathrm{cr}, \mathrm{hv}, \mathrm{tm}\}\{, \mathrm{b}, \mathrm{c}, \mathrm{i}, \mathrm{o}\}- \\ & \{, 7 \mathrm{t}, \mathrm{Bt}, \mathrm{gr}\}\{, \mathrm{n}\}- \\ & \{. \mathrm{vf}, . \mathrm{xvf}, . \mathrm{tfm}, . \mathrm{xfm}\} \end{aligned}$ | Virtual fonts which simulate various encodings and styles for PostScript (p) fonts Times (tm), Helvetica (hv), and Courier (cr). Shape variations can be combinations of bold ( O ), condensed (c), italic (i), and oblique ( O ). Encoding variations can be 7 - or 8 -bit bit $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ text ( 7 t or 8 t ), or 8 -bit raw ( 8 r ). The underlying actual fonts are TrueType fonts standard in Windows: Times New Roman, Arial, and Courier New. The metrics (.tfm's) are derived from the TrueType fonts and are slightly different from those which would be derived from the similar PostScript fonts. <br> The standard virtual font files (.vf's) map references to characters in the virtual PostScript fonts to 8 -bit codes in the TrueType actual fonts. The Omegaextended virtual fonts (. xvf 's) are similar to the. vf 's, but also access extra Unicode characters in the TrueType actual fonts not available with the 8-bit TrueType codes, yielding complete coverage of the PostScript encodings. Since the 8 -bit codes of the TrueType fonts do not cover all the characters in the PostScript fonts, the .vf virtual fonts are incomplete, and the Omega-extended (.xvf) versions are preferred; the. vf 's are included for compatibility with non-Omega-capable software. <br> These files might be considered a partial "TrueTEX nFSS" system, analogous to the $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ package for PostScript NFSS (PSNFSS). We created these files by exporting metrics from the $\mathrm{True}_{\mathrm{E}} \mathrm{X}$ previewer. |
| bl \{ex,sy\} \{.vf, .tfm \} | Metrics for the ${ }^{\mathrm{AT}_{\mathrm{E}} \mathrm{X}}$ Times-style math extension and symbol fonts, and virtual fonts which translate references from the 7-bit $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ fonts to the 7-bit Belleek implementations in TrueType. The math font metrics (blex.tfm, blsy.tfm) are identical to those presumed in the CTAN PSNFSS package, which provides compatibility with competitive implementations. We created the virtual fonts by exporting metrics from the $\mathrm{True}_{\mathrm{E}} \mathrm{X}$ previewer. |
| blmi.tfm, blmi.vf, blmi.xvf, rblmi.tfm | Metrics for the $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ Times-style math italic font, plus a virtual font (both standard and Omega-extended versions) which translates references from the 7-bit LATEX font to the 7-bit Belleek implementation in TrueType (in most cases) or to TrueType Times New Roman (in certain other cases). This virtual font (blmi) is different in two regards from the two other virtual fonts (blex and blsy): (1) since it is composed from two actual fonts, another virtual level is required, thus the extra rblmi font, and (2) since the actual characters used in Times New Roman are in Unicode positions, an Omega-extended virtual font is used (blmi.xvf). The math font metrics (blmi.tfm) are identical to those presumed in the CTAN PSNFSS package, which provides compatibility with competitive implementations. We created the virtual font by exporting metrics from the previewer. The metrics for the raw TrueType font are also included for completeness. |
| *.cod | TrueTEX encoding tables for the Belleek math font encodings. We used these to export virtual fonts from the TrueTEX Previewer. Experts can use these encoding specifications to modify the software. |
| \{blex,blsy,rblmi\}.ttf | TrueType font files for the Belleek math fonts. The TrueTEX Times Option Setup disk(s) install these fonts into your Windows system. We created the fonts using a graphical font editor and proprietary software tools, including ttf_edit. |
| arial*.tfm, times*.tfm, and cour*.tfm | Metrics (provided for completeness) for the raw TrueType fonts. These are not really usable, because the raw fonts are not in an encoding $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ can use directly, but they are needed for. vf to. vpl (or . xvf to. xpl ) conversion, and vice versa. We generated these files by exporting metrics from the TrueTEX previewer. |


| Files (unmodified) from the CTAN PSNFSS Distribution |  |
| :---: | :---: |
| Files | Purpose |
| times.sty | Style file which switches EATEX text mode to use Times, Helvetica, and Courier fonts instead of Computer Modern Roman, sans serif, and typewriter. Calls on various ${ }^{\mathrm{A} T} \mathrm{~T}_{\mathrm{E}} \mathrm{X}$ font definition files ( $\{8 \mathrm{r}, \mathrm{oml}$, oms, ot $1, \mathrm{t} 1\}\{\mathrm{pcr}, \mathrm{phv}, \mathrm{ptm}\} . \mathrm{fd}$ ). |
| mathtime.sty | Style file which switches $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ math mode to use Times-style math fonts instead of Computer Modern math extension, math symbols, and math italic. Calls on various $\mathrm{IAT}_{\mathrm{E}} \mathrm{X}$ font definition files (my $\{1,2,3\} \mathrm{mtt} . \mathrm{fd}$ ). Also calls on times.sty to switch text mode to use Times fonts, if that switch has not yet been made in the $\mathrm{LAT}_{\mathrm{E}} \mathrm{X}$ document. |
| $\{8 r, o m l, o m s, o t 1, t 1\}-$ \{pcr,phv,ptm\}.fd | LATEX NFSS text font definition files for the various shapes, sizes, and encodings of Times Roman, Helvetica, and Courier virtual fonts. These also assign a virtual font name to each variant. Each combination of encoding and typeface has its own . fd file; then each . fd file in turn defines a number of shape variations, such as bold and italic. |
| my $\{1,2,3\} m t t . f d$ | Current versions of the $\mathrm{LT}_{\mathrm{E}} \mathrm{X}$ nFSS math font definition files for various encodings of Times-style math fonts for $\mathrm{EAT}_{\mathrm{E}} \mathrm{X}$. These three encodings are close to, but not identical to, the OML-OMS-OMX encodings of the Computer Modern math fonts. These font definition files also assign a font name to each variant; for the True $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ Times Option the assignment is to the Belleek math fonts blex, blmi, and blsy; which is a slight change from the way the files appear on ctan. |


[^0]:    ${ }^{1}$ For compatibility with the LATEX mathtime style, the TrueT $\mathrm{T}_{\mathrm{E}} X$ Times Option provides fonts which are metric-compatible with the MathTime fonts published by the $\mathrm{T}_{\mathrm{E}} \mathrm{Xplorators}$ Corporation. However, the Belleek math fonts are not the MathTime fonts: the Belleek math fonts contain our original hand-crafted designs drawn after the Times style.

[^1]:    ${ }^{2}$ The author being Sebastian Rahtz as part of the fontinst tools.

